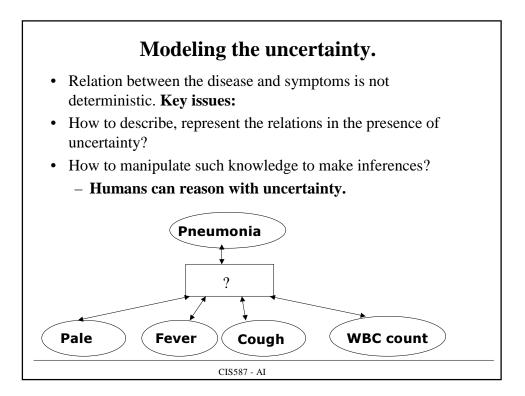


Uncertainty

To make diagnostic inference possible we need to represent rules or axioms that relate symptoms and diagnosis

Problem: disease/symptoms relation is not deterministic (things may vary from patient to patient) – it is **uncertain**

- Disease --> Symptoms uncertainty
 - A patient suffering from pneumonia may not have fever all the times, may or may not have a cough, white blood cell test can be in a normal range.
- Symptoms → Disease uncertainty
 - High fever is typical for many diseases (e.g. bacterial diseases) and does not point specifically to pneumonia
 - Fever, cough, paleness, high WBC count combined do not always point to pneumonia



Methods for representing uncertainty

KB systems based on propositional and first-order logic often represent uncertain statements, axioms of the domain in terms of

• rules with various certainty factors

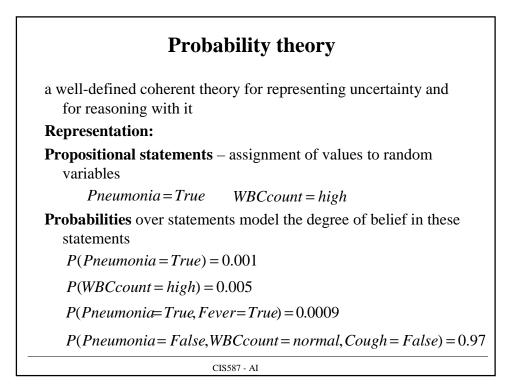
Very popular in 70-80s (MYCIN)

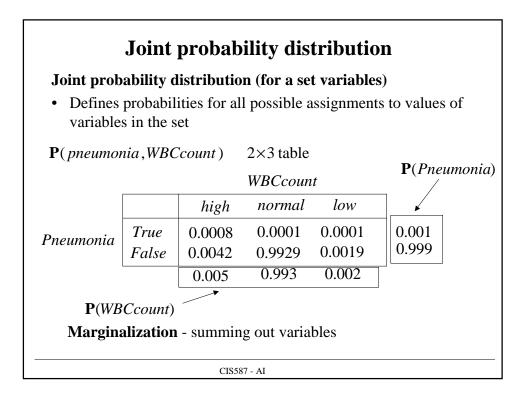
- If 1. The stain of the organism is gram-positive, and
 - 2. The morphology of the organism is coccus, and
 - 3. The growth conformation of the organism is chains
- Then with certainty 0.7

the identity of the organism is streptococcus

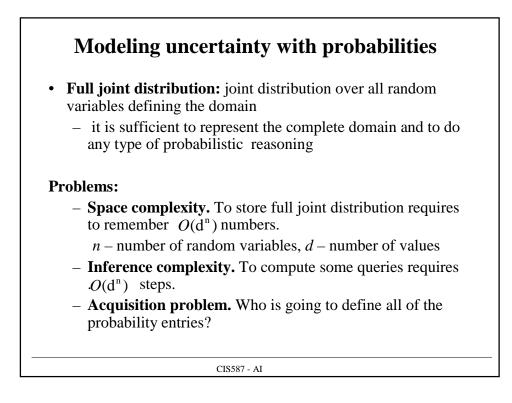
Problems:

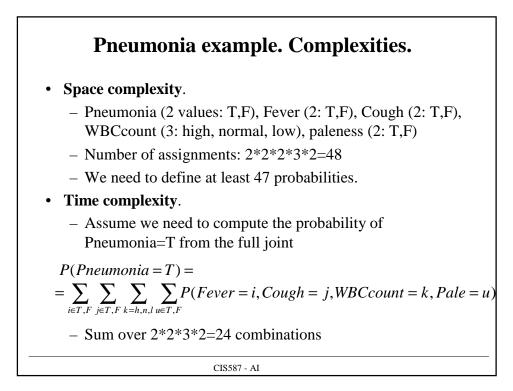
- Chaining of multiple inference rules (propagation of uncertainty)
- Combinations of rules with the same conclusions
- After some number of combinations results not intuitive.



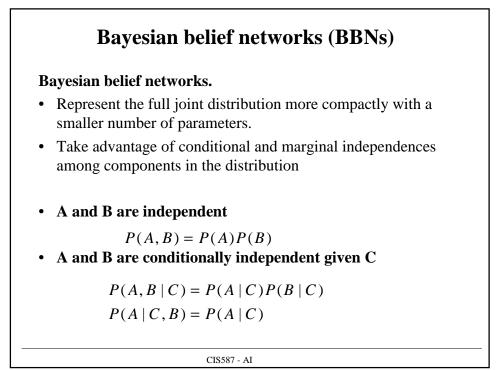


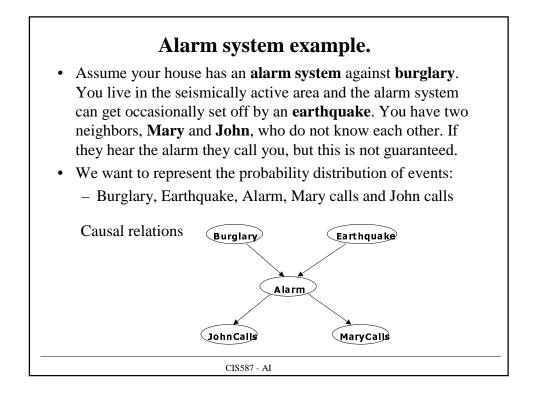
Conditional probability distribution Conditional probability distribution: • Probability distribution of A given (fixed B) $P(A | B) = \frac{P(A, B)}{P(B)}$ • Conditional probability is defined in terms of joint probabilities • Joint probabilities can be expressed in terms of conditional probabilities P(A, B) = P(A | B)P(B)• Conditional probability – is useful for **diagnostic reasoning** – the effect of a symptoms (findings) on the disease P(Pneumonia=True | Fever=True, WBCcount=high, Cough=True)

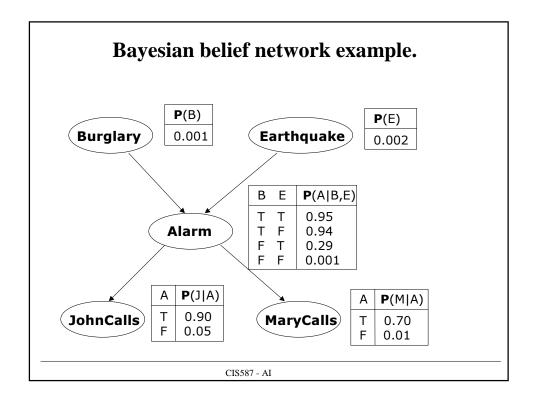


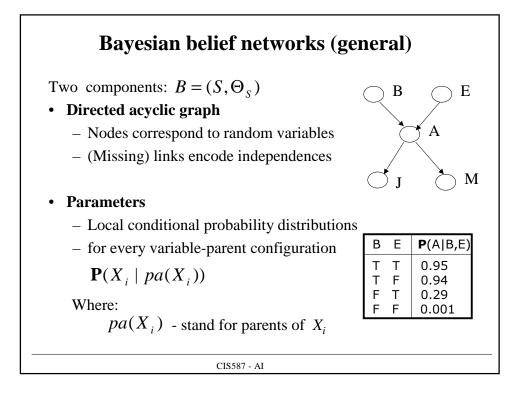


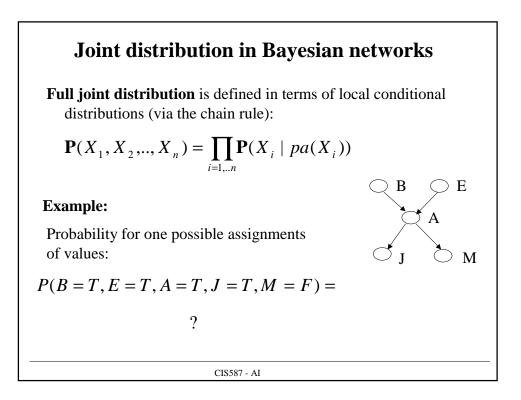
Modeling uncertainty with probabilities Knowledge based system era (70s – early 80's) Extensional non-probabilistic models Probability techniques avoided because of space, time and acquisition bottlenecks in defining full joint distributions Negative effect on the advancement of KB systems and AI in 80s in general Breakthrough (late 80s, beginning of 90s) Bayesian belief networks Give solutions to the space, acquisition bottlenecks Partial solutions for time complexities

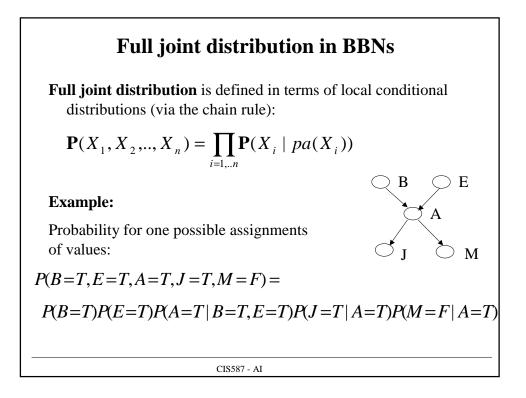


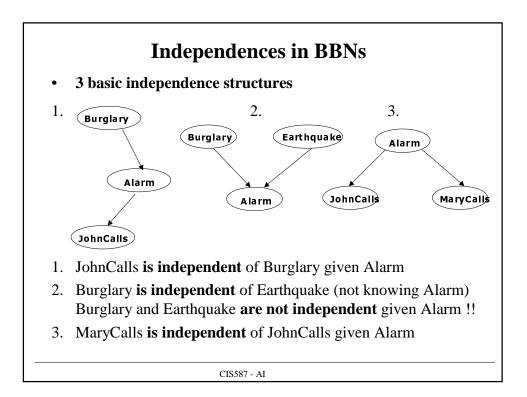


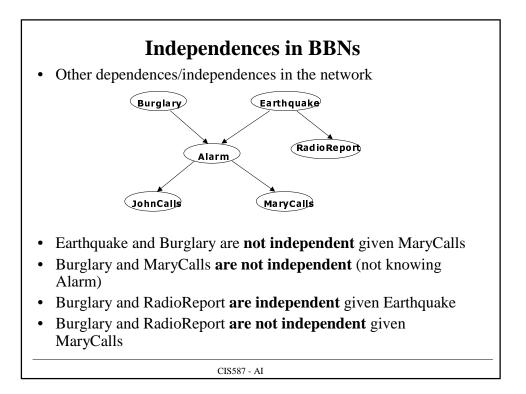


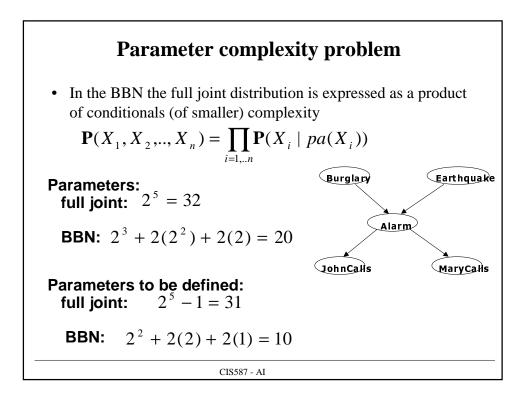


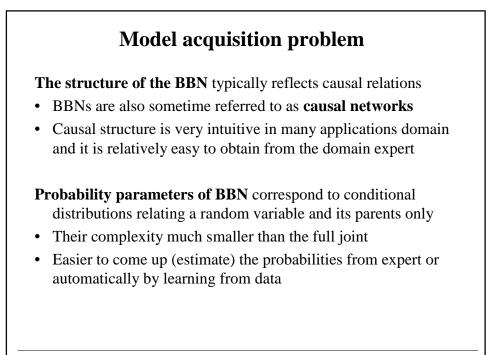




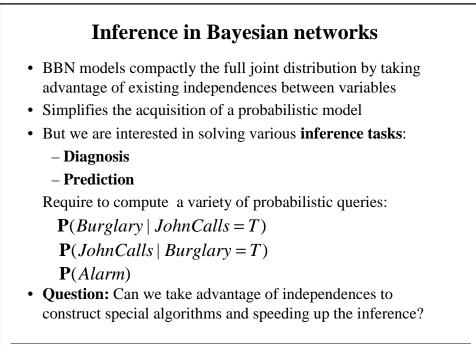


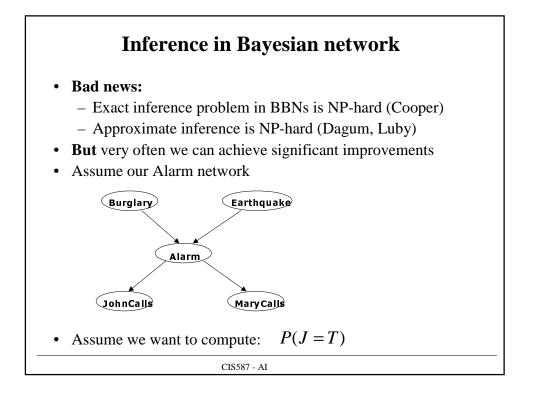


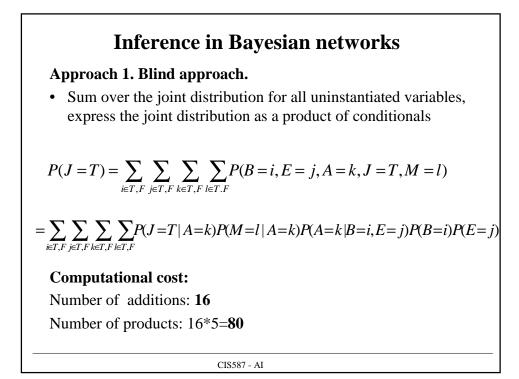


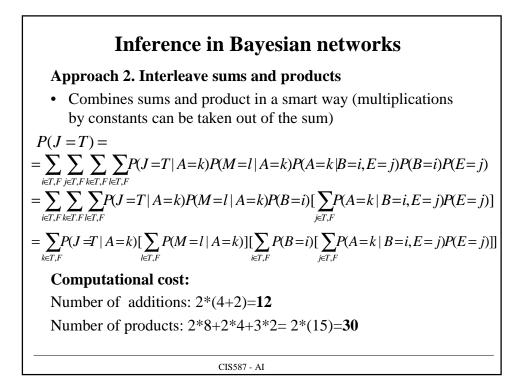


CIS587 - AI









Inference in Bayesian network
Exact inference algorithms:

Symbolic inference (D'Ambrosio)
Pearl's message passing algorithm (Pearl)
Clustering and Join tree approach (Lauritzen, Spiegelhalter)
Arc reversal (Olmsted, Schachter)

Approximate inference algorithms:

Monte Carlo methods:
Forward sampling, Likelihood sampling
Variational methods

